

Inferring Origin Flow Patterns in Wi-Fi with Deep Learning

Youngjune Gwon

H. T. Kung



11th International Conference on Autonomic Computing (ICAC'14)

Philadelphia, PA

June 18, 2014

Outline

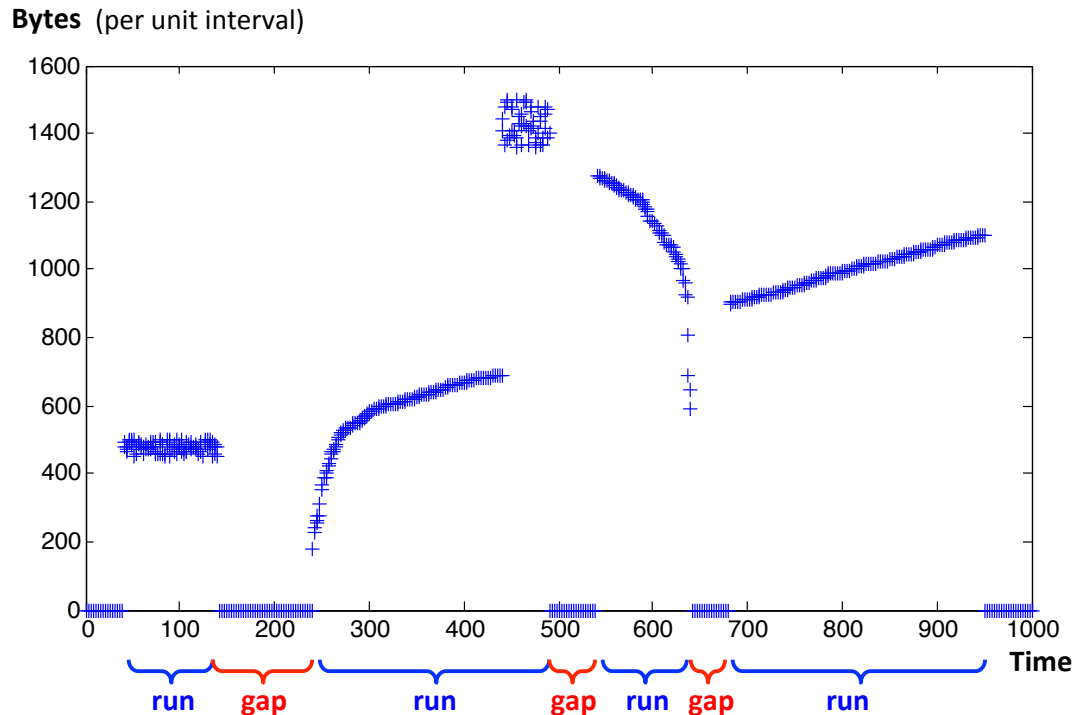
- Introduction
- Background
- Origin flow pattern inference in Wi-Fi
- Classical approaches
- Our approach
- Evaluation
- Conclusion

What Is Network Traffic Inference?

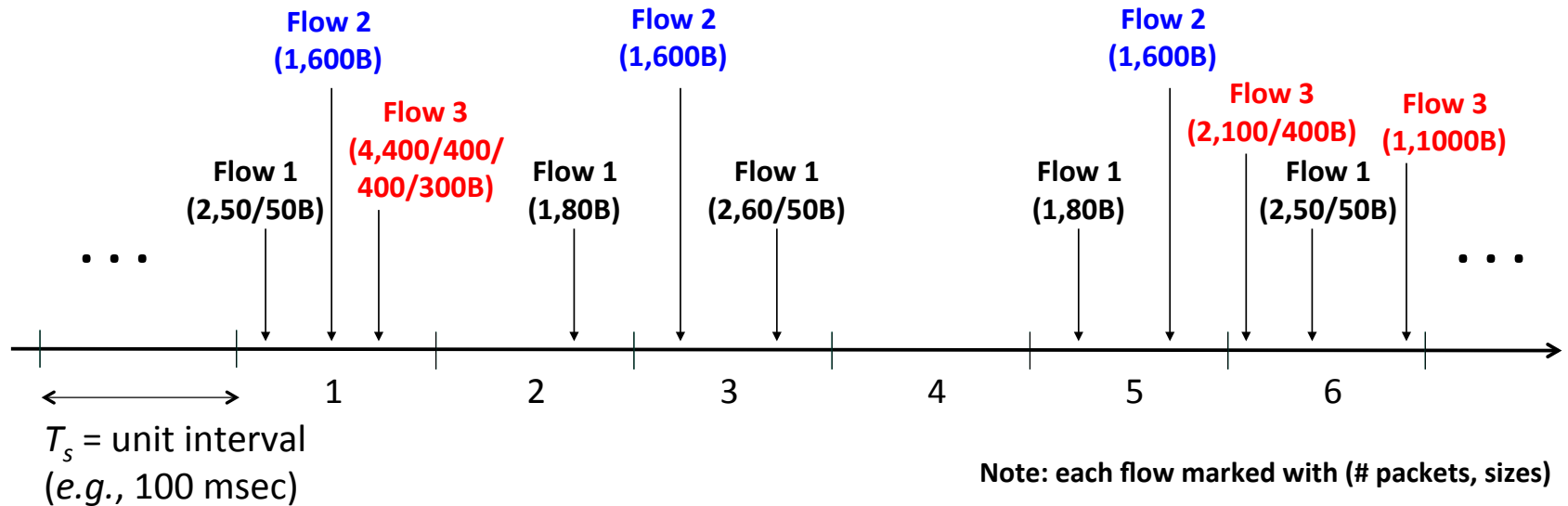
- Network traffic analysis is classical research topic
 - Study, measure, and estimate flow characteristics
 - *E.g.*, burst size and interarrival time distributions, mean values
 - Network nodes (routers) regularly **sample** packets
 - To provide data used for analysis
- Why?
 - Traffic monitoring
 - Spot anomalies, (D)DoS attacks, heavy hitters
 - Help manage networking resources
 - Wireless spectrum among most precious networking resources
 - Program network nodes (SDN)
 - Improve Tx-Rx scheduling, interference mitigation

Flow Pattern

- Sequence of data bytes (*run*) with waiting times (*gap*)
- **Runs-and-gaps model**
 - Flow pattern \Rightarrow ***time series data***
 - Simple, but powerful abstraction
 - Applicable at any node (src, dst, intermediate)

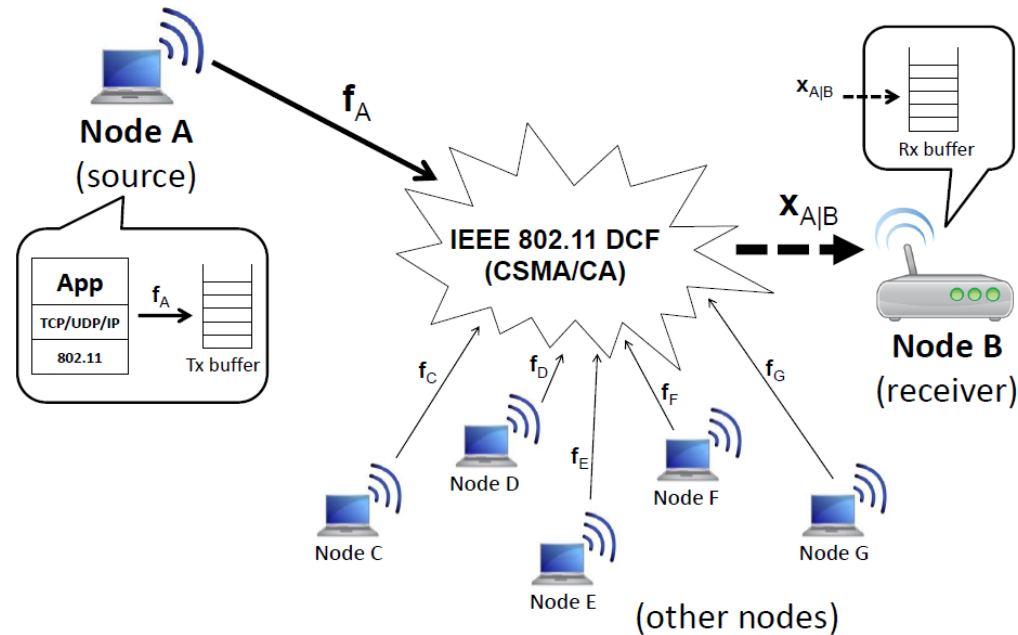


Runs-and-gaps Time Series Processing



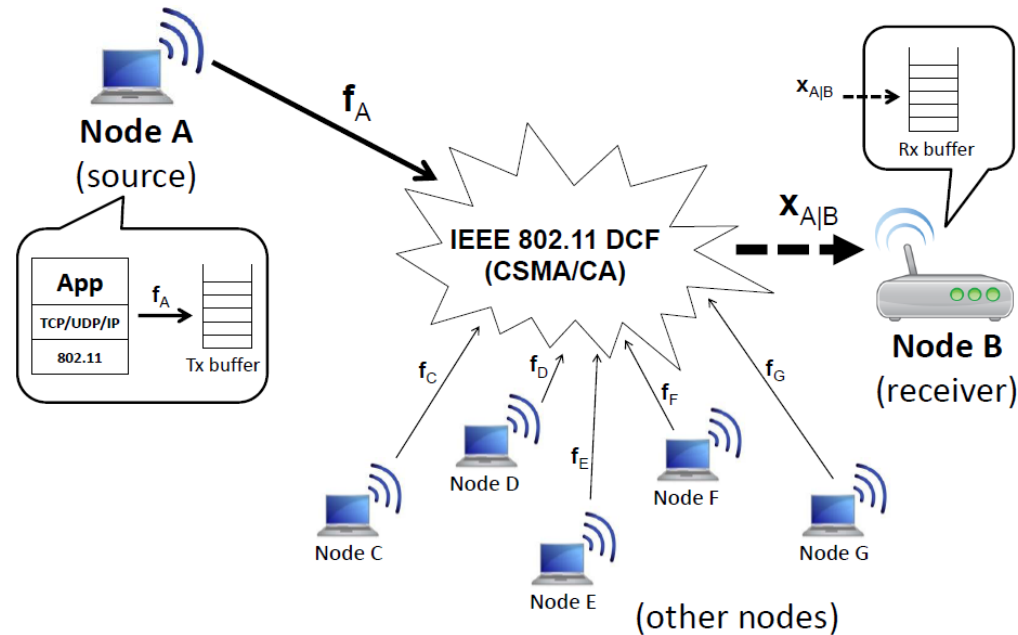
- Flow 1
 - $\mathbf{w}_1 = [2 \ 1 \ 2 \ 0 \ 1 \ 2]$, $\mathbf{x}_1 = [100 \ 80 \ 110 \ 0 \ 80 \ 100]$
- Flow 2
 - $\mathbf{w}_2 = [1 \ 0 \ 1 \ 0 \ 1 \ 0]$, $\mathbf{x}_2 = [600 \ 0 \ 600 \ 0 \ 600 \ 0]$
- Flow 3
 - $\mathbf{w}_3 = [4 \ 0 \ 0 \ 0 \ 0 \ 3]$, $\mathbf{x}_3 = [1500 \ 0 \ 0 \ 0 \ 0 \ 1500]$

Origin Flow Pattern Inference in Wi-Fi (1)



- Origin flow pattern (f)
 - Conveys application-level data generation context
 - As entering source Tx buffer
- Measured flow pattern (x)
 - At best, $x = \textit{time-shifted } f$
 - Reflects severity of congestion/mix with other flows
 - As timestamped at receiver Rx buffer

Origin Flow Pattern Inference in Wi-Fi (2)



- **Problem**: how to accurately infer origin flow pattern f_A from received pattern $x_{A|B}$?
 - Key challenge: CSMA alters origin pattern by introducing complex, irregular mixture of competing flows
 - Bottomline: ***multiclass classification problem***

Approaches (Classical)

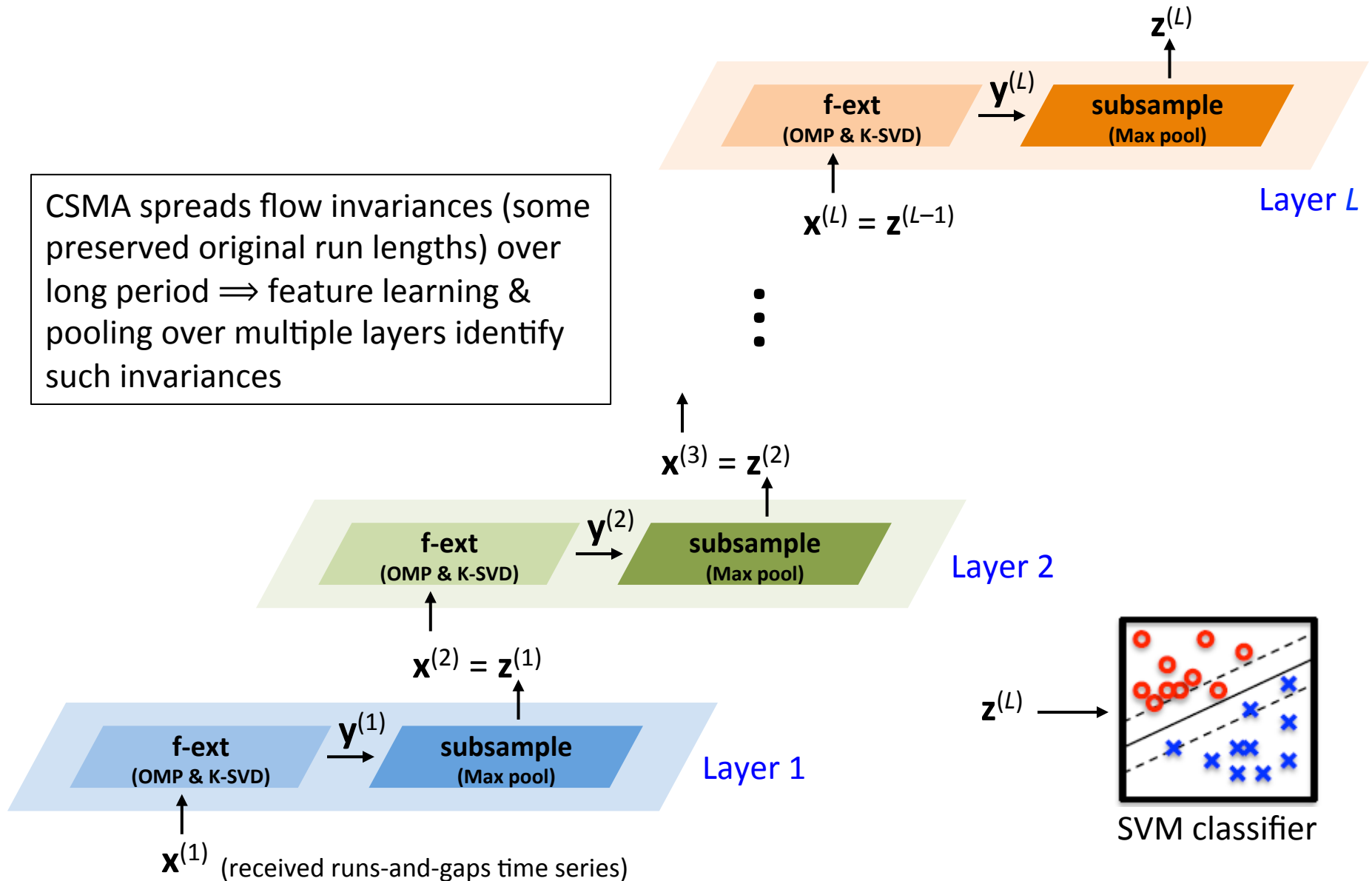
- Supervised learning
 - ARMAX
 - AR = delayed ground truth patterns (\mathbf{f})
 - MA = model error ($\boldsymbol{\varepsilon}$)
 - X = delayed received patterns (\mathbf{x})
 - Train $\underline{\mathbf{f}}_t = [\mathbf{f}_{t-1} \dots \mathbf{f}_{t-n} \mathbf{x}_{t-1} \dots \mathbf{x}_{t-m} \boldsymbol{\varepsilon}] \boldsymbol{\theta}$ with labeled dataset $\{\mathbf{x}^{(i)}, \langle \mathbf{f}^{(i)}, l^{(i)} \rangle\}$
 - » Estimate $\boldsymbol{\theta}$ via least squares (recursive LS by Kalman filtering)
 - Naïve Bayes classifier
 - Using feature $\mathbf{y} = [\mu_{\text{run}} \mu_{\text{gap}}]$ for given \mathbf{x}
 - Train $p(l|\mathbf{y}) \propto p(\mathbf{x}|l)$ from with $\{\mathbf{x}^{(i)}, \mathbf{y}^{(i)}, l^{(i)}\}$
- Semi-supervised learning
 - Gaussian mixtures
 - Use same feature, bivariate $\mathbf{y} = [\mu_{\text{run}} \mu_{\text{gap}}]$ for given \mathbf{x}
 - Train K -Gaussian sum $\sim \{\mathbf{w}, (\boldsymbol{\mu}, \boldsymbol{\Sigma})\}$ via EM with $\{\mathbf{x}^{(i)}, \mathbf{y}^{(i)}\}$ (*unsupervised*)
 - » \mathbf{w} = mixing weights, $(\boldsymbol{\mu}, \boldsymbol{\Sigma})$ = Gaussian parameters
 - Classification: use SVM (*supervised*)
 - » Train with posterior (membership) probabilities with $\{\mathbf{x}^{(i)}, \langle \mathbf{f}^{(i)}, l^{(i)} \rangle\}$

Our Approach

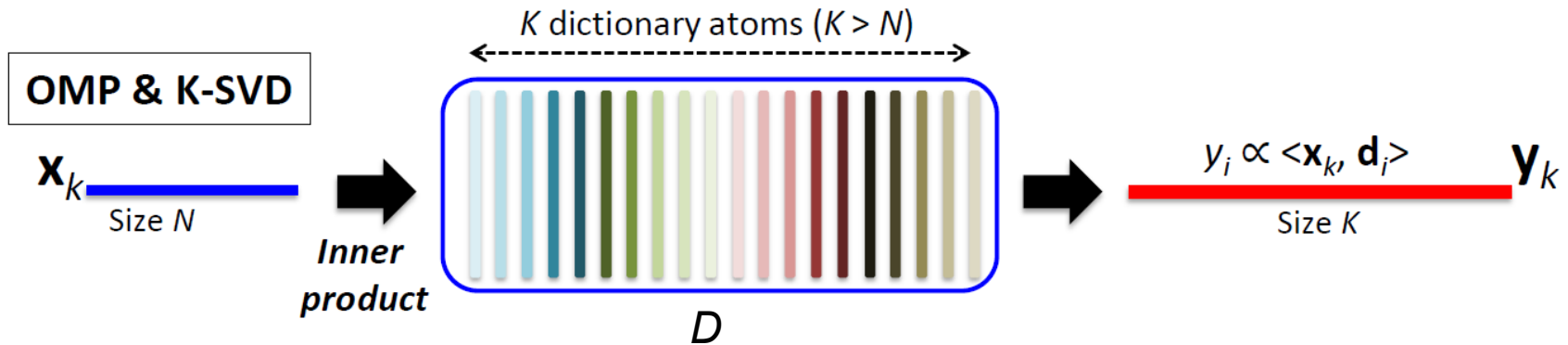
- Semi-supervised learning
 - Phase I: unsupervised feature learning
 1. Sparse coding & dictionary learning (*unlabeled \mathbf{x} 's*)
 2. Subsample features via (max) pooling
 3. Repeat for multiple layers (feed current layer's result as next layer's input)
 - Phase II: supervised classifier training
 1. Do multi-layer sparse coding and pooling with *labeled \mathbf{x} 's*
 2. Train SVM classifiers with final feature vector resulted at top

Multi-layer Feature Learning and SVM Classification

CSMA spreads flow invariances (some preserved original run lengths) over long period \Rightarrow feature learning & pooling over multiple layers identify such invariances

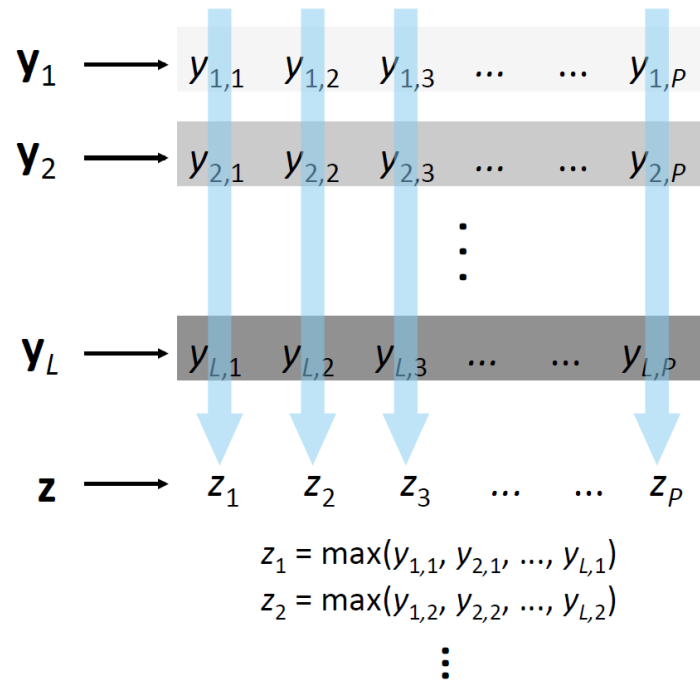


What Is Sparse Coding?



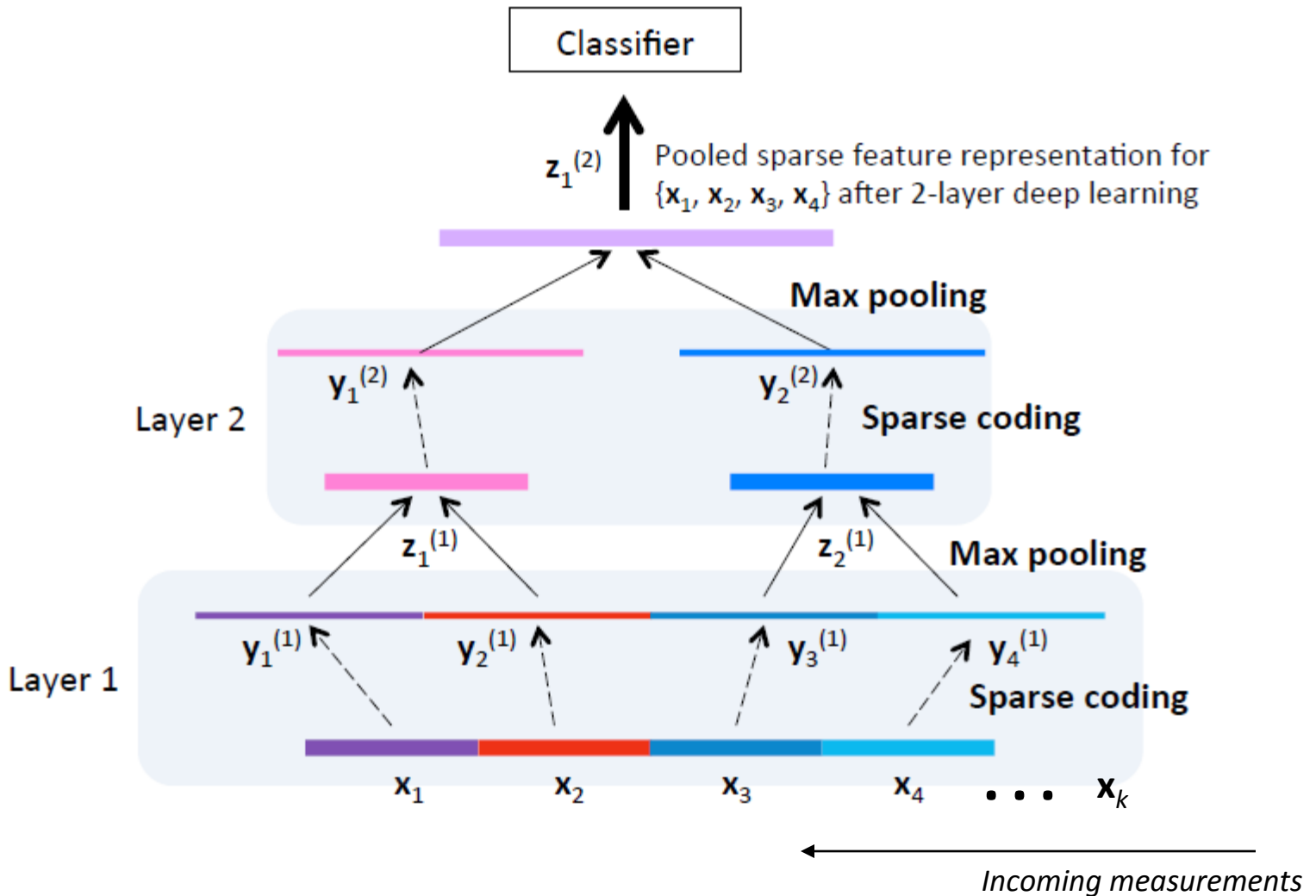
- Describe input \mathbf{x} as M linear combination of D 's columns
- $\mathbf{x} = D\mathbf{y}$
 - \mathbf{x} = measured flow pattern
 - \mathbf{y} = extracted feature from \mathbf{x}
 - OMP computes \mathbf{y} & K-SVD trains D
 - $\min \|\mathbf{X} - D\mathbf{Y}\|_F^2$ s.t. $\|\mathbf{y}_k\|_0 \leq M \quad \forall k$
 - Sparsity: $M \ll N < K$
- Sparse coding, clustering, and mixtures are fundamentally same idea

What Is Max Pooling?



- What do we do when we have too many of same kinds?
 - Need to summarize over them
- Max pooling
 - Translation-invariant subsampling of multiple feature vectors
 - Popular in CNN for image recognition

Summarizing Deep Feature Learning



Enhancements

- Incoherent dictionary atoms
 - Force: $\|D^T D\| = I$ with new constraint
 - $\min \|X - DY\|_F^2 + \gamma \|D^T D - I\|_F^2$ s.t. $\|y_k\|_0 \leq M' \forall k$
- Relax sparsity due to distortions resulted by incoherent dictionary training
 - Use $M' > M$ for OMP
- Overlapping max pooling
 - $\mathbf{z}_1 = \text{max_pool}(\mathbf{y}_1, \dots, \mathbf{y}_L), \mathbf{z}_2 = \text{max_pool}(\mathbf{y}_5, \dots, \mathbf{y}_{L+4}), \dots$
 - Instead of $\mathbf{z}_2 = \text{max_pool}(\mathbf{y}_{L+1}, \dots, \mathbf{y}_{2L}), \dots$

Evaluation

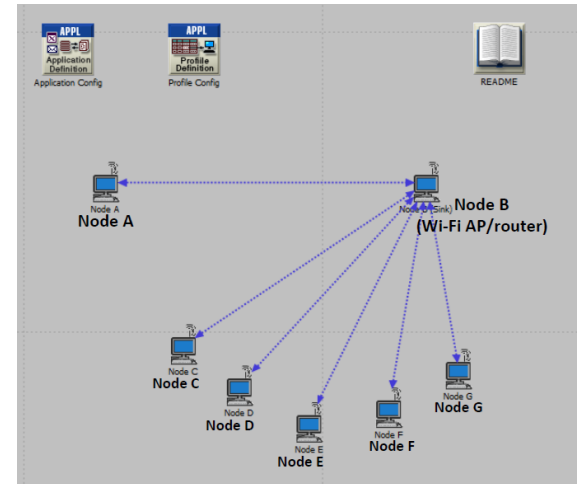
- Simulated 7 Wi-Fi nodes in OPNET Modeler
 - 10 distinct flow patterns generated at source
 - Mixed with various other flows including RTP/UDP/IP, HTTP, ftp, interactive DB transactions

- Schemes

- ARMAX
- Naïve Bayes
- GMM with $K=10$ & linear 1-vs-all SVMs
- Proposed baseline
 - 2 layers & linear 1-vs-all SVMs
- Proposed baseline + 3 enhancements
- Implemented in MATLAB

- Metrics

- Classification recall (true positive rate) and false alarm rate

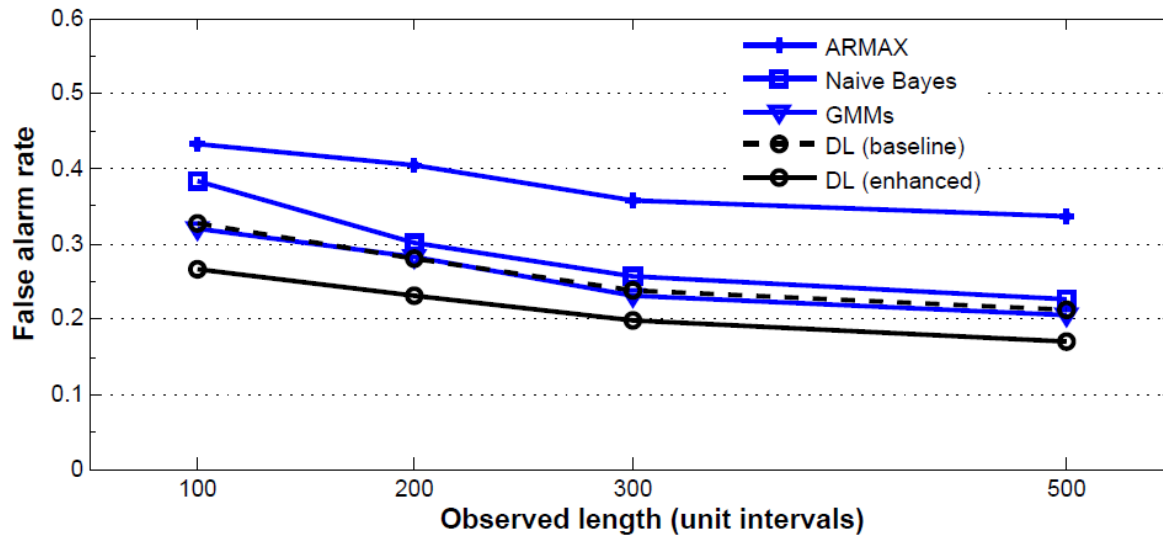
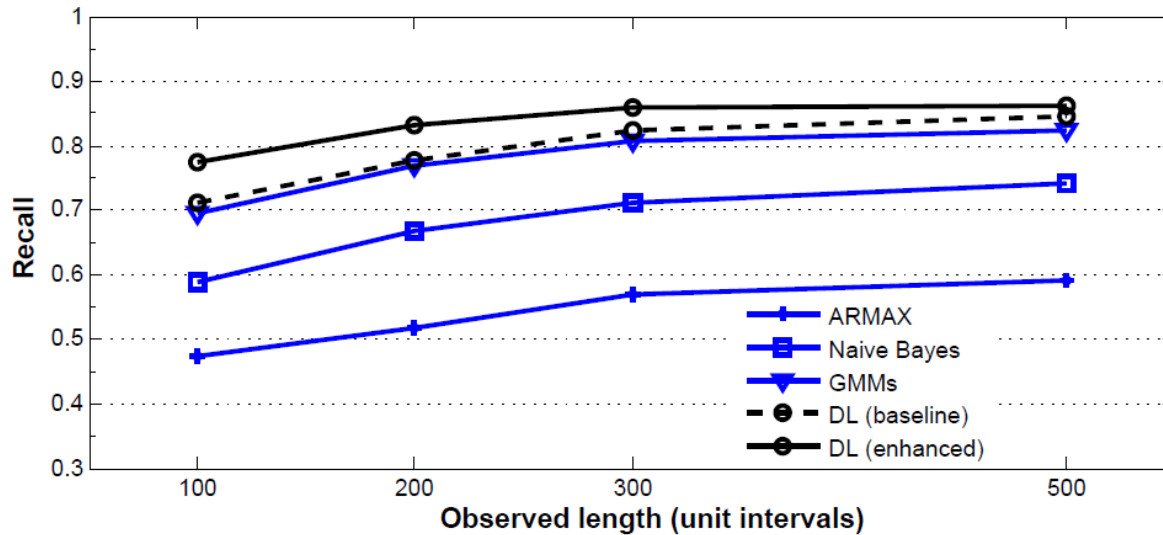


Flow Patterns and Nodes

Pattern	Flow type	Generative triplet $\langle t_r, s_r, t_g \rangle$
f_1	Constant	$\langle 2, 100, 4 \rangle$
f_2	Constant	$\langle 2, 500, 2 \rangle$
f_3	Constant	$\langle 5, 200, 5 \rangle$
f_4	Constant	$\langle 10, 200, 10 \rangle$
f_5	Stochastic	$\langle \text{Exp}(1), \text{Pareto}(100, 2), \text{Exp}(0.1) \rangle$
f_6	Stochastic	$\langle \text{Exp}(0.5), \text{Pareto}(40, 1), \text{Exp}(0.25) \rangle$
f_7	Stochastic	$\langle \text{U}(4, 10), \text{Pareto}(100, 2), \text{Exp}(0.5) \rangle$
f_8	Stochastic	$\langle \text{N}(10, 5), \text{Pareto}(40, 1), \text{N}(10, 5) \rangle$
f_9	Mixed	$\langle 1, \text{Pareto}(100, 2), 1 \rangle$
f_{10}	Mixed	$\langle 1, \text{Pareto}(100, 2), \text{Exp}(0.25) \rangle$

Node	Role	Main networking activity
A	Flow source	Transmits f_i
B	Receiver	Intercepts flows as Wi-Fi router/AP
C	Flow source	Transmits $f_j \forall j \neq i$
D	Flow source	Multimedia streaming over RTP/UDP/IP
E	Flow dest.	HTTP with page size $\sim \text{U}[10, 400] \text{B}$
F	Flow dest.	ftp file transfer with size 50000 B
G	Flow dest.	DB access with inter-arrival $\sim \text{Exp}(3) \text{sec}$

Classification Performance



Burst and Interarrival Prediction Errors

Scheme	Origin run size prediction error	Origin gap size prediction error
ARMAX	45.9%	36.7%
Naïve Bayes	37.5%	24.6%
GMM ($K = 10$)	31.3%	18.1%
Proposed (baseline)	28.3%	16.2%
Proposed (enhanced)	22.8%	11.4%

Conclusion

- Simply, we have created *inverse mapping*
 - Measured pattern → origin pattern (prequalified)
 - This mapping consists of deep feature learner & classifier
- Deep learning
 - Start with small features, aggregate up, and broaden coverage
 - Can learn invariances and changes introduced by CSMA
 - Arbitrary mix of flows, retransmissions, loss of data
- Future directions
 - Explore other (dis)similarity metrics (*e.g.*, DTW)
 - Sparse packet sampling, multiple hops
 - Test on real Wi-Fi data
 - Other inference applications in networking (*e.g.*, protocols)

Backup Slides

Metrics

$$\textit{Recall} = \frac{\sum \text{True positives}}{\sum \text{True positives} + \sum \text{False negatives}}$$

$$\textit{False alarm} = \frac{\sum \text{False positives}}{\sum \text{False positives} + \sum \text{True negatives}}$$

For multiple hypothesis testing, false discovery rate (FDR) could be used instead of false alarm rate

$$\textit{FDR} = \frac{\sum \text{False positives}}{\sum \text{False positives} + \sum \text{True positives}}$$

Feature Extraction and Pooling Details

