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FVD-DPM: Fine-grained Vulnerability Detection via Conditional Diffusion Probabilistic Models

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Part 1 Research background Ē,

Automatic Software Vulnerability Detection

- \triangleright Software vulnerabilities pose a significant threat to software security
- \triangleright Existing vulnerability detection approaches
	- Symbolic execution
	- Rule-base techiniques
	- Code similarities
	- Deep Learning

Research background

Drawbacks of existing deep learning-based approaches

Program semantics have not been fully leveraged

- \triangleright Token sequence ignores the structural information of programs
- Graph-based representations, e.g., AST, CFG, DFG, PDG, extract program semantics from individual functions, disregarding call relationships between functions

Detection granularity is coarse-grained

- Detection granularity is mostly at the file-level, function-level, slice-level
- \triangleright Vulnerabilities always involve only a few statements

An out-of-bounds read vulnerability (CVE-2023-38430)

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Part 2 Main research content

Overview of FVD-DPM

Step I: Feature extraction

Generating Code Joint Graph (CJG) | | Extracting Slicing Entry Nodes

- Control Flow Graph (CFG) 1991
- Data Flow Graph (DFG) 1996
- Call Graph (CG)
- Code Sequence (CS)

- API/library function calls
- Sensitive variables (array and pointer variables)

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• Arithmetic expressions

Step I: Feature extraction

- Start from the slicing entry node
- Iteratively perform forward and backward slicing until all nodes in the CJG are traversed

Program Slicing Node Embedding

- Node type
- Node value

We formalize the diffusion process using a GrVCs, denoted as $G_i(V_i, E_i)$. The graph $G_i(V_i, E_i)$ consists of a node set V_i and an edge set $E_i.$ The node label of the graph $G_i(V_i,E_i)$ is represented by \blacksquare ${\cal Y}_i$, with values of 0 (vulnerable) and 1 (non-vulnerable). Given that the node label ${\cal Y}_i$ is discrete, we \qquad relax it into an one-hot vector to yield continuous values.

Forward Diffusion Process

- Node label $y_i^{(0)}$ conforms to the initial data distribution $q(y)$ Reconstructic
- Gaussian noise is continuously injected into the data distribution during the forward diffusion process

$$
q(y_i^{(1)}, \dots, y_i^{(T)} | y_i^{(0)}) = \prod_{t=1}^T q(y_i^{(t)} | y_i^{(t-1)})
$$

$$
q(y_i^{(t)}|y_i^{(t-1)}) = N(y_i^{(t)}; \sqrt{1 - \beta_t} y_i^{(t-1)}, \beta_t I)
$$

Conditional Reverse Process

- on $q(y)$ \bullet Reconstruction of the node label $y_i^{(0)}$ from Gaussian
noise conditioned on the graph structure G_i and $y_i^{(T)}$ • Reconstruction of the node label $y_i^{(0)}$ from Gaussian noise conditioned on the graph structure G_i and $y_i^{(T)}$
	- $y_i^{(T)}$ is sampled from the Gaussian distribution $N(0,I)$

$$
p_{\theta}(y_i^{(0)}) = \prod_{t=1}^T q(y_i^{(t)} | y_i^{(t-1)})
$$
\n
$$
p_{\theta}(y_i^{(0)}, \cdots, y_i^{(T-1)} | y_i^{(T)}, G_i) = \prod_{t=1}^T p_{\theta}(y_i^{(t-1)} | y_i^{(t)}, G_i)
$$

$$
p_{\theta}(y_i^{(t-1)}|y_i^{(t)}, G_i) = N(y_i^{(t-1)}; \mu_{\theta}(y_i^{(t)}, G_i), \Sigma_{\theta})
$$

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Learning the mean and variance

- Calculate the inverse distribution $q(y_i^{(t-1)}|y_i^{(t)}, y_i^{(0)})$,
- Bayes theorem

 $q(y_i^{(t-1)}|y_i^{(t)}, y_i^{(0)}) = q(y_i^{(t)}|y_i^{(t-1)}, y_i^{(0)}) \frac{q(y_i^{(t-1)}|y_i^{(0)})}{q(y_i^{(t)}|y_i^{(0)})}$ $q(y_i^{(t)}|y_i^{(0)})$ q_{i}^{m}

• $q(y_i^{(t-1)}|y_i^{(t)}, y_i^{(0)})$ is a Gaussian distribution denoted as $N(\hat{\mu}_t, \widehat{\Sigma}_t)$, where $\sum_{l \in N_y} \widehat{\Sigma}_l$

$$
\hat{\mu}_t = \frac{1}{\sqrt{\alpha_t}} \left(y_i^{(t)} - \frac{\beta_t}{\sqrt{1 - \overline{\alpha}_t}} \right) \overline{Z}_t
$$

$$
\widehat{\Sigma}_t = \frac{1 - \overline{\alpha}_{t-1}}{1 - \overline{\alpha}_t} \beta_t
$$

• $p_{\theta}(y_i^{(t-1)}|y_i^{(t)}, G_i)$ is also a Gaussian distribution denoted as $h_{i,v}$ $N(\mu_\theta(y_i^{(t)}, G_i), \Sigma_\theta)$

$$
\mu_{\theta}(y_i^{(t)}, G_i) = \frac{1}{\sqrt{\alpha_t}} (y_i^{(t)} - \frac{\beta_t}{\sqrt{1 - \overline{\alpha}_t}}) Z_{\theta}(y_i^{(t)}, G_i)
$$

$$
\Sigma_{\theta} = \exp(\kappa \log \beta_t + (1 - \kappa) \log \widehat{\Sigma}_t)
$$

GAT with Hybrid Time Encoding

- Absolute time encoding
- Relative time encoding

$$
\alpha_{i,v,u}^m = \frac{\exp(\phi(\omega^T[(W^m h_{i,v} \oplus W^m h_{i,u}) + rel(t)]))}{\sum_{l \in N_v} \exp(\phi(\omega^T[(W^m h_{i,v} \oplus W^m h_{i,l}) + rel(t)]))}
$$

$$
a_{i,v} = \sigma \left(\frac{1}{M} \sum_{m=1}^{M} \sum_{u \in N_v} \alpha_{i,v,u}^m \left(W^m h_{i,u} + rel(t) \right) \right)
$$

ed as

$$
h_{i,v} = \varphi(a_{i,v} + abs(t)) \oplus y_{i,v}^{(t)}
$$

$$
Z_{\theta}(y_i^{(t)}, G_i) = \text{MLP}(h_i)
$$

- $\phi(\cdot)$ LeakyReLU
	-

Part 3 Research result

Research questions

- How effective is FVD-DPM when compared to state-of-the-art vulnerability detection approaches?
	- How effective is CJG in vulnerability detection compared to existing code representations?
	- mand the critical properties of the contract the contract of the contract of the contract of the contract of t
Mandate of the contract of the
 hybrid time encoding into GAT, and simultaneously learning mean and
variance of the noisv label distribution? Can FVD-DPM perform better in vulnerability detection by incorporating variance of the noisy label distribution?

How effective and precise is FVD-DPM in locating different types of vulnerabilities?

Datasets

Recall (R) F1 score (F1) Area Under Curve (AUC) Matthews Correlation Coefficient (MCC) Intersection over Union (IoU)

• Vulnerability identification (slice-level detection):

Cppcheck, Flawfinder, Devign, VulDeePecker, SySeVR, VulDeeLocator, MVD

• Vulnerability localization (statement-level detection):

Cppcheck, DeepLineDP, VulDeeLocator

Identification results (%)

Localization results (IoU: %)

Results for RQ1

FVD-DPM VS. VulChecker

• FVD-DPM outperforms most existing state-of the-art vulnerability detection approaches

RQ2: Effectiveness of Code Joint Graph

Contributions of different edge types in Code Joint Graph (%)

• Overall, the model's performance gradually improved as we added different types of edges to the CFG

• The model's performance with *CFG+DF* significantly surpassed that of the *CFG*, highlighting the substantial contribution of data flow to extracting vulnerability features

Results for RQ3: Ablation Study

Comparative experiments on models with and without hybrid time encoding (%)

Experimental results achieved by different objectives

RQ4: Results on Different CWE Types

- FVD-DPM achieves good performance in locating vulnerable statements across different vulnerability types
- The vulnerability pattern of CWE-121 is complex and may involve multiple statements in various functions, making it more challenging to identify

Part 4 Research prospect

Improve the interpretability of deep learning-based vulnerability detection approaches

Explore the potential of leveraging popular large language ection and the contract of the
The contract of the contract of models (LLMs), such as ChatGPT, DeepSeek Coder, in fine grained vulnerability detection

THANK YOU

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